

Energy Balance Lab

Model energy changes with a system equation.

HIGH SCHOOL · HS-PS3-1

HS-PS3-1 "Create a computational model to calculate the change in the energy of one component in a system when the change in energy of the other component(s) and energy flows in and out of the system are known..."

NAME _____

DATE _____

TRACK THE TOTAL

Add the energy changes of all components in the system. Their sum equals energy entering minus energy leaving: $\Delta E1 + \Delta E2 (+ \Delta E3) = E_{in} - E_{out}$. Use a positive sign for an increase and a negative sign for a decrease.

WORKED EXAMPLE

Two components are in a system. Component 1 changes by -4 J. Energy entering is 17 J, and energy leaving is 9 J. Find $\Delta E2$.

1. $17 \text{ J} - 9 \text{ J} = 8 \text{ J}$

2. $-4 \text{ J} + \Delta E2 = 8 \text{ J}$

3. $\Delta E2 = 12 \text{ J}$

Answer: $\Delta E2 = +12 \text{ J}$ **PRACTICE** 5 problems

- 1** A two-component system has 14 J entering and 6 J leaving. Component A changes by +3 J. Find ΔE_B .

ANSWER _____

- 2** A two-component system has 16 J entering and 3 J leaving. Component B changes by -2 J. Find ΔE_A .

ANSWER _____

- 3** No energy crosses the boundary of a two-component system. Component A changes by -21 J. Find ΔE_B .

ANSWER _____

- 4** A three-component system has 24 J entering and 7 J leaving. $\Delta E_A = +5 \text{ J}$ and $\Delta E_B = -1 \text{ J}$. Find ΔE_C .

ANSWER _____

- 5** A two-component system has 25 J leaving and no energy entering. Component A changes by -10 J. Find ΔE_B .

ANSWER _____

APPLY IT Show your work

- 1** At robotics club, a small robot is lifted. Its kinetic energy and gravitational energy are components of the system. The motor transfers 36 J into the system, and 11 J leaves as heat. The robot's kinetic energy increases by 7 J. Find the change in gravitational energy.

WORK SPACE

ANSWER _____

- 2** During a basketball shot, treat the ball's kinetic and gravitational energies as the system components. Air resistance transfers 6 J out of the system. The ball's gravitational energy changes by -28 J. Find the change in kinetic energy.

WORK SPACE

ANSWER _____

CHALLENGE One step up

CHALLENGE

A drone system has kinetic, gravitational, and thermal energy. Energy entering is 40 J, and energy leaving is 13 J. Its kinetic energy changes by +16 J and its gravitational energy changes by -5 J. Find the thermal-energy change. Write the equation and one sentence explaining what its sign means.

PART 1 • PRACTICE

#	PROBLEM	ANSWER
1	A two-component system has 14 J entering and 6 J leaving. Component A changes by +3 J. Find ΔE_B .	$\Delta E_B = +5 \text{ J}$
2	A two-component system has 16 J entering and 3 J leaving. Component B changes by -2 J. Find ΔE_A .	$\Delta E_A = +15 \text{ J}$
3	No energy crosses the boundary of a two-component system. Component A changes by -21 J. Find ΔE_B .	$\Delta E_B = +21 \text{ J}$
4	A three-component system has 24 J entering and 7 J leaving. $\Delta E_A = +5 \text{ J}$ and $\Delta E_B = -1 \text{ J}$. Find ΔE_C .	$\Delta E_C = +13 \text{ J}$
5	A two-component system has 25 J leaving and no energy entering. Component A changes by -10 J. Find ΔE_B .	$\Delta E_B = -15 \text{ J}$

PART 2 • APPLY IT

1. **$\Delta E_{\text{gravitational}} = +18 \text{ J}$** The system change is $36 \text{ J} - 11 \text{ J} = 25 \text{ J}$. Subtract the $+7 \text{ J}$ kinetic-energy change, so gravitational energy changes by $+18 \text{ J}$.
2. **$\Delta E_{\text{kinetic}} = +22 \text{ J}$** The total system change is -6 J . Since $-28 \text{ J} + \Delta E_{\text{kinetic}} = -6 \text{ J}$, the kinetic-energy change is $+22 \text{ J}$.

CHALLENGE

$\Delta E_k + \Delta E_g + \Delta E_{th} = 40 \text{ J} - 13 \text{ J}; 16 \text{ J} + (-5 \text{ J}) + \Delta E_{th} = 27 \text{ J}; \Delta E_{th} = +16 \text{ J}$. The positive sign means the drone's thermal energy increased by 16 J.

Accept equivalent equations and correct use of positive or negative signs. Accept answers that name the component energy and include the correct value in joules.